

Topic 1

Recording & Sampling

The Edison Cylinder Recorder



Recording sound



Mechanical
Vibration

Pressure
Waves

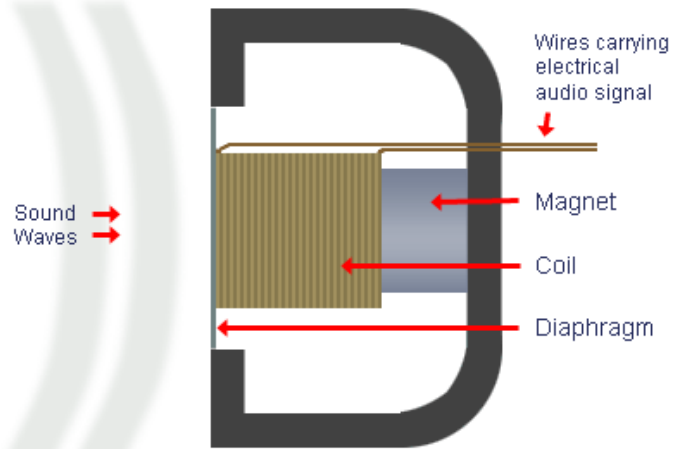
Motion->Voltage
Transducer

Voltage over time

Microphones



Cross-Section of Dynamic Microphone



Magnetic tape

Recording

audio signal is sent through the coil of wire to create a **magnetic field** in the core.

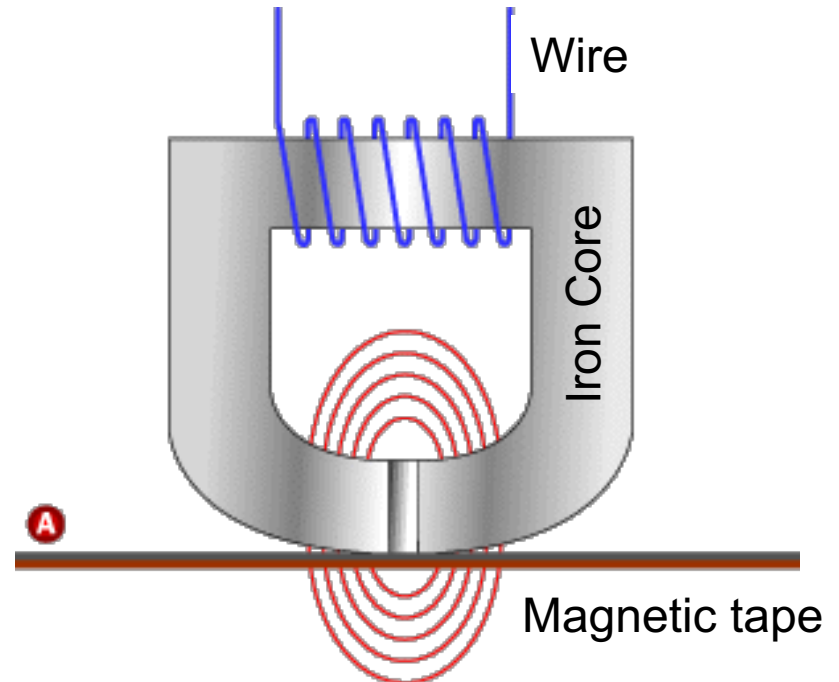
At the gap, magnetic flux forms a **fringe pattern** that magnetizes the oxide on the tape.

Playback

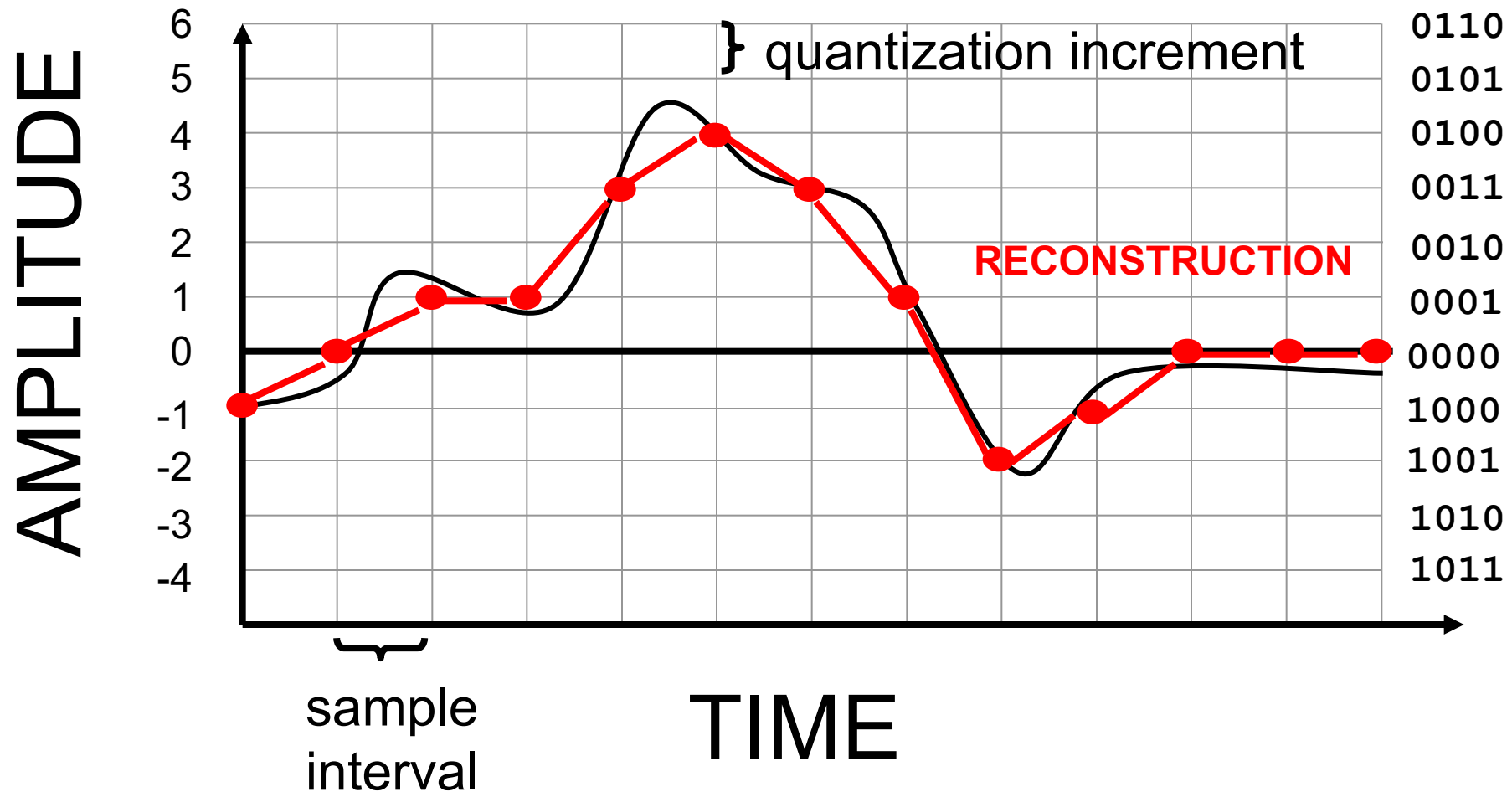
The motion of the tape pulls a varying magnetic field across the gap.

This creates a varying magnetic field in the core and therefore a signal in the coil.

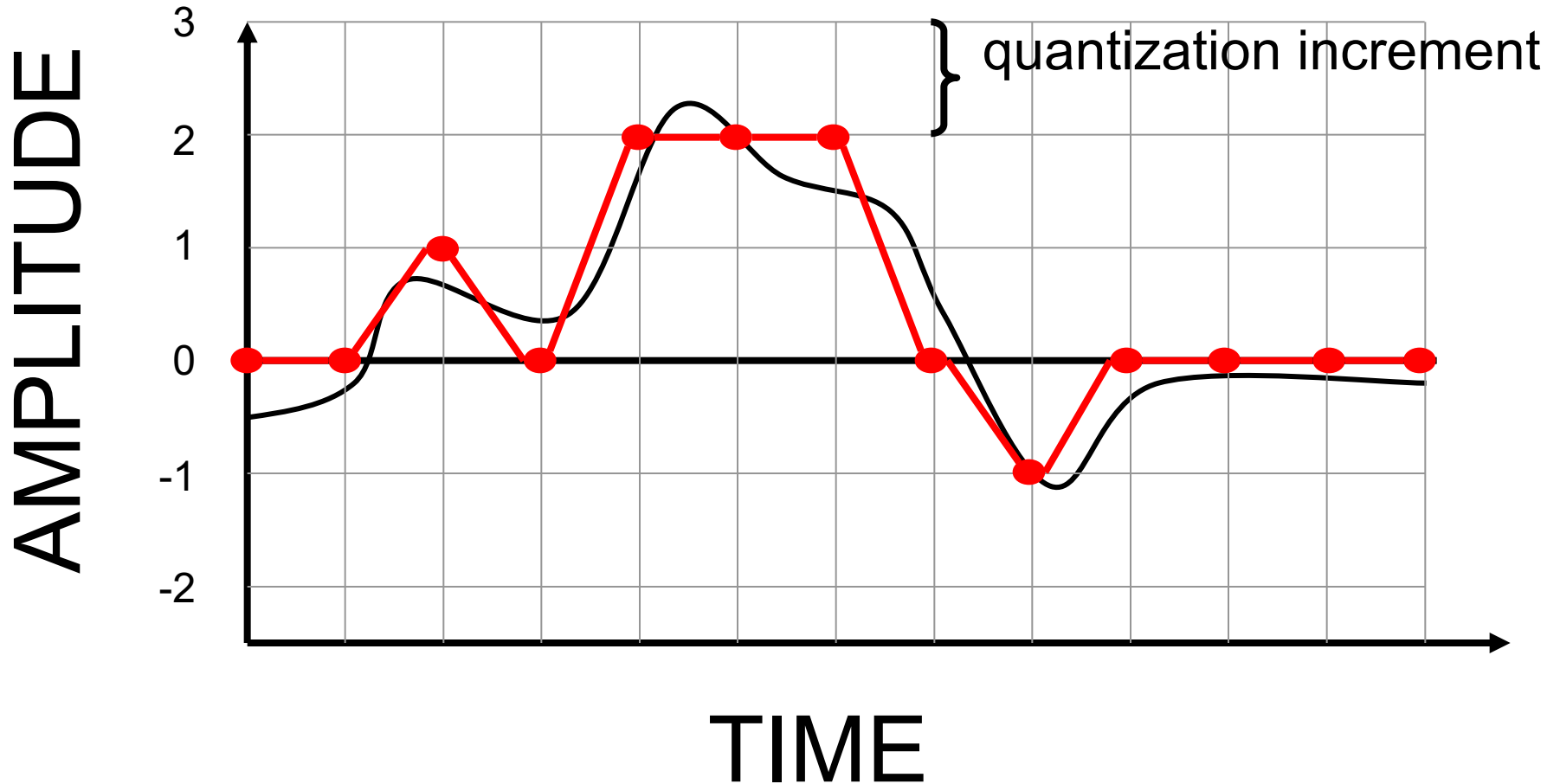
This signal is amplified to drive the speakers.



Digital Sampling



More quantization levels mean more dynamic range

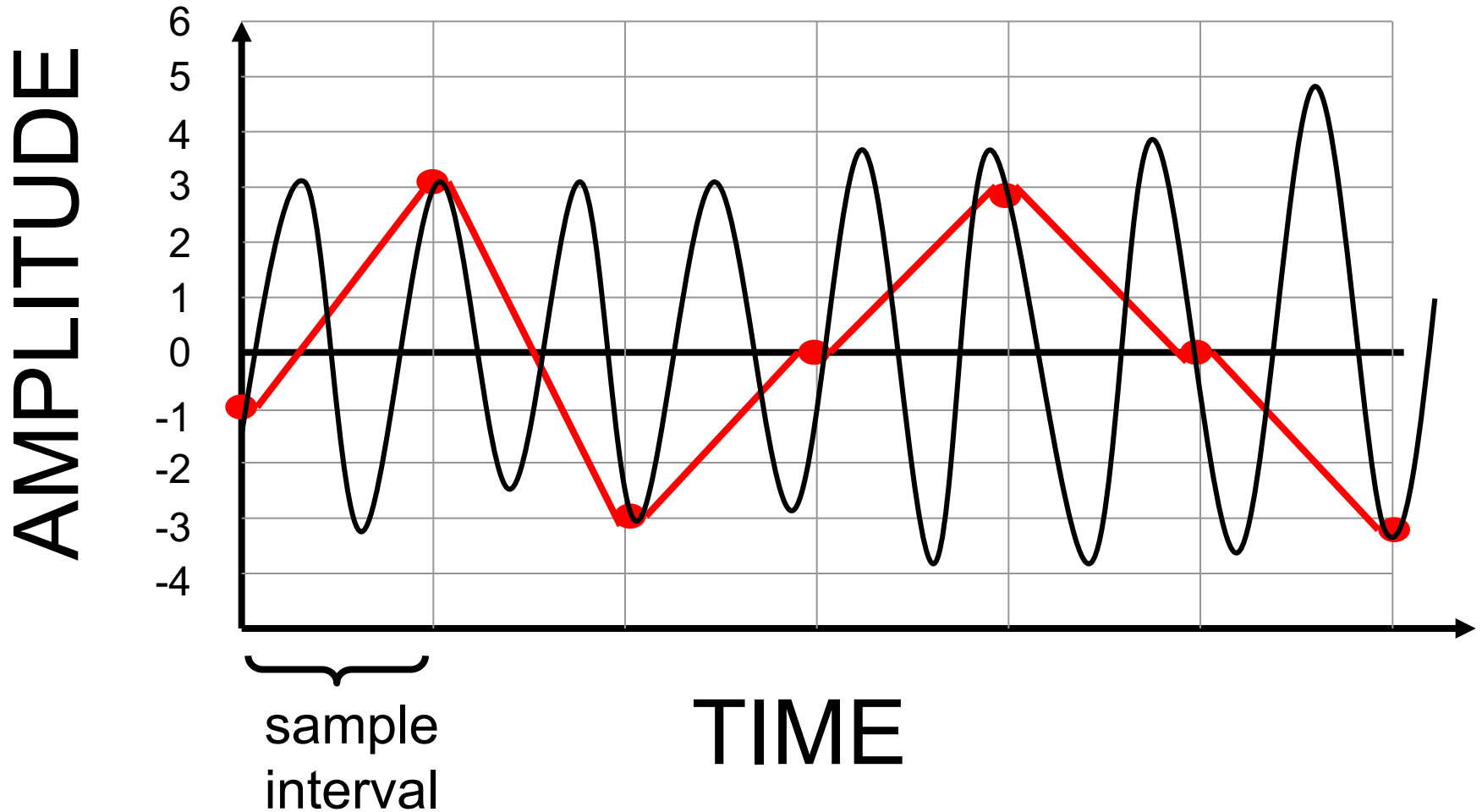


Bit depth and dynamics

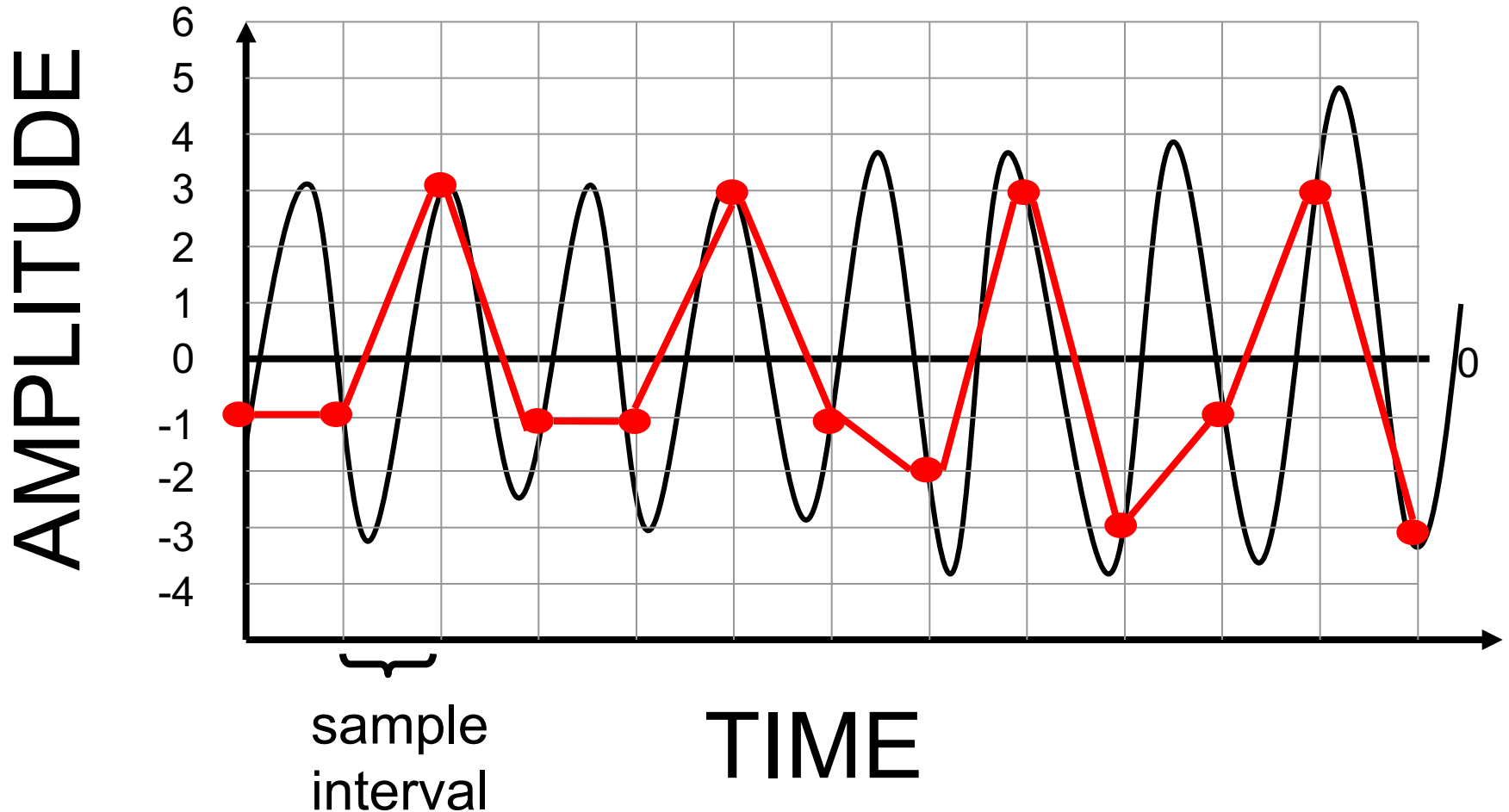
- More bits = more quantization levels
- More quant. levels = more dynamic range
- More dynamic range = better sound

- Compact disc = 16 bits = 65,536 levels
- POTS = 8 bits = 256 levels

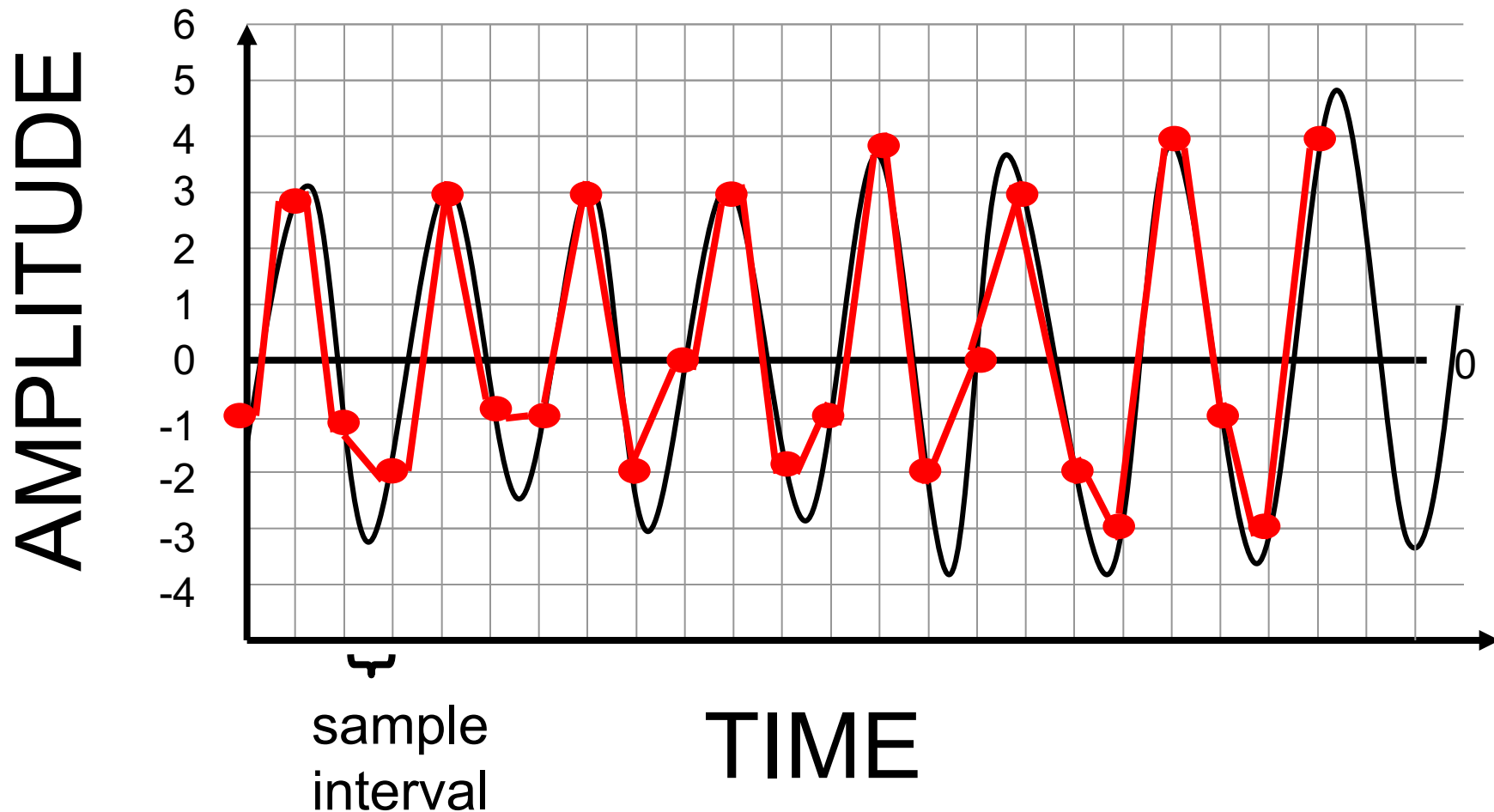
Faster sample rates = better reconstruction



Aliasing and Nyquist



Aliasing and Nyquist



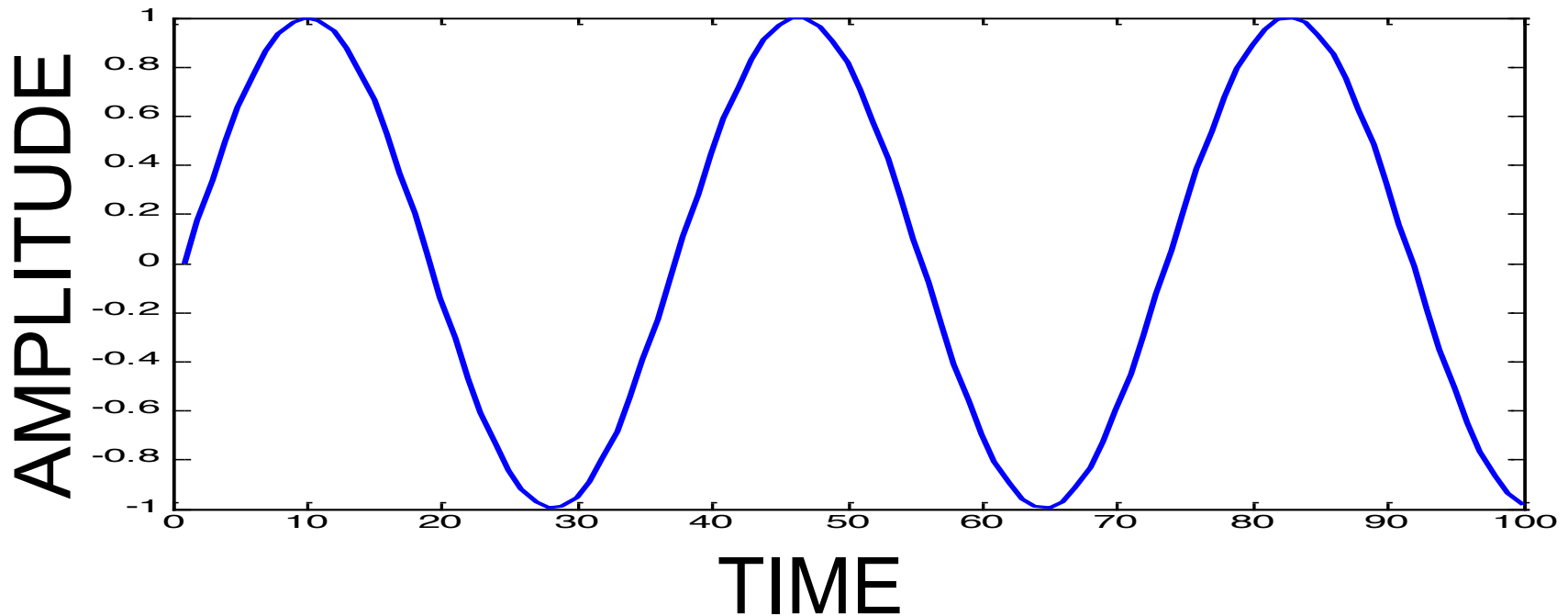
Sample rates

- You can't reproduce things if your sample rate isn't fast enough to catch them
- Nyquist frequency (def 1)
Over twice the frequency of the highest frequency you want to represent
- Nyquist frequency (def 2)
 $\frac{1}{2}$ the sample frequency...

Common Encodings

- Compact Disc
 - 16 bits
 - 44,100 Hz
- POTS (Plain old telephone service)
 - 8 bits
 - 8,000 Hz
- MP3
 - It's complicated. Tell you later.

Pure Tone = Sine Wave



$$x(t) = A \sin(2\pi f + \phi)$$

↑
time

↑
amplitude

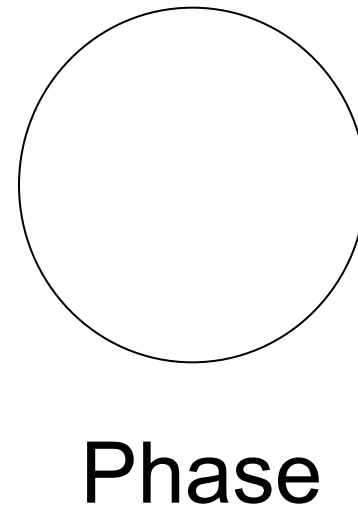
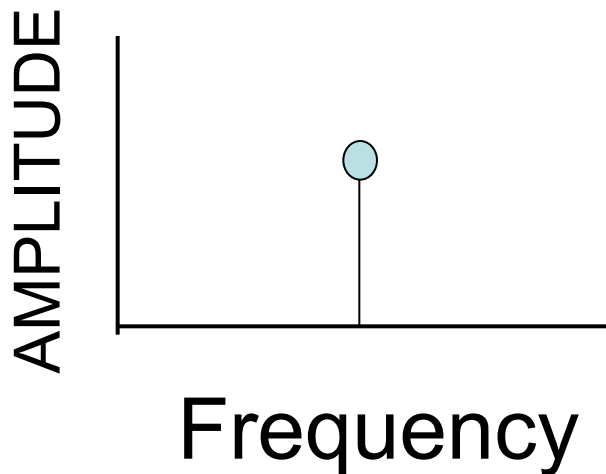
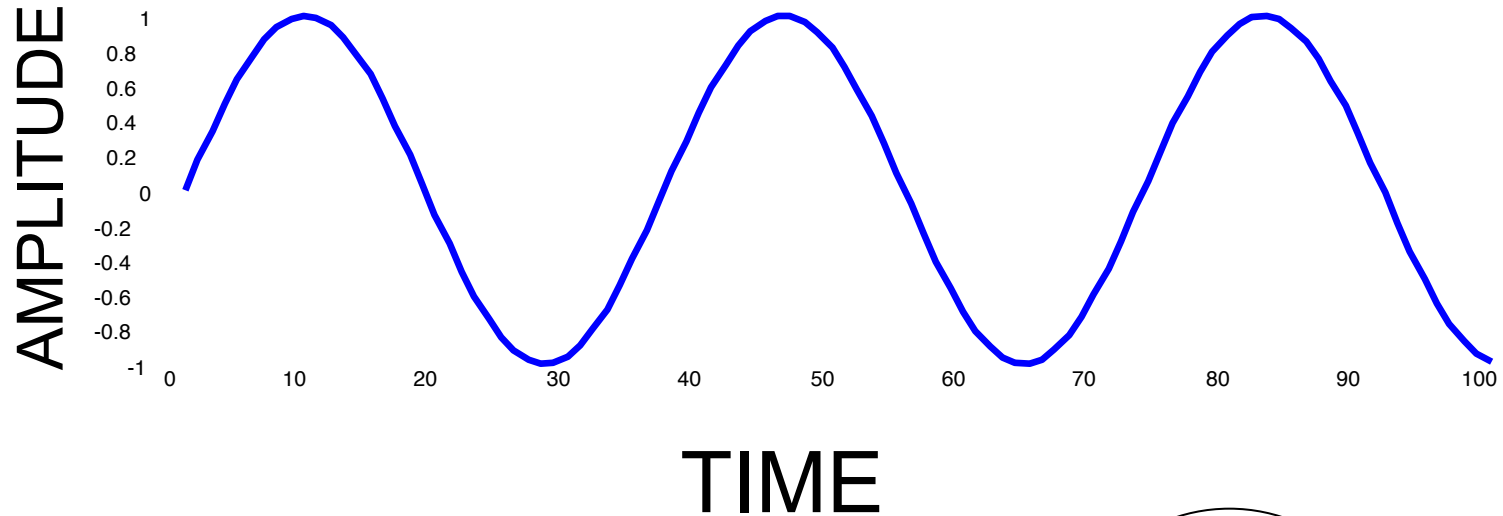
↑
frequency

↑
phase

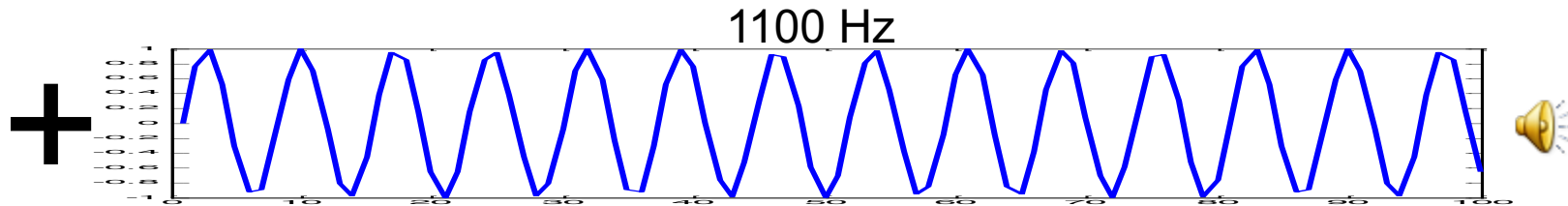
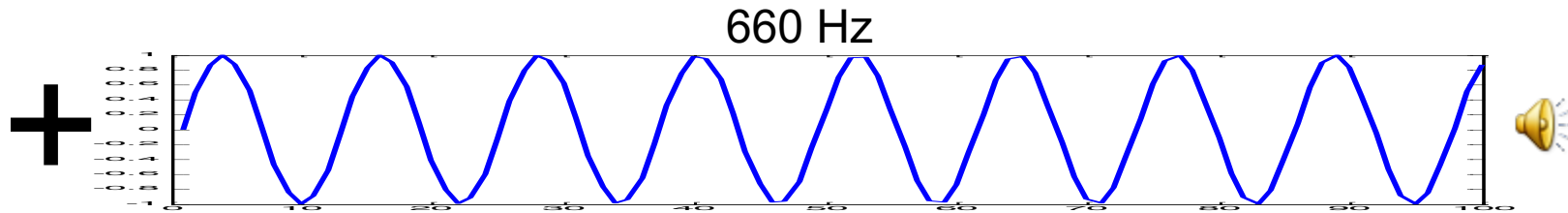
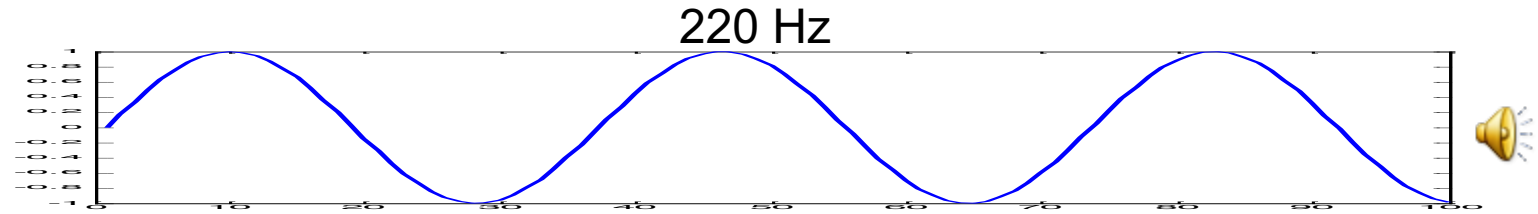
Reminders

- Frequency, $f = 1 / T$ is measured in cycles per second , AKA *Hertz (Hz)*.
- One cycle contains 2π *radians*.
»
- Angular frequency, ω , is measured in radians per second and is related to frequency by $\omega = 2\pi f$
- So we can rewrite the sine wave as
$$x(t) = A \sin(\omega t + \phi)$$

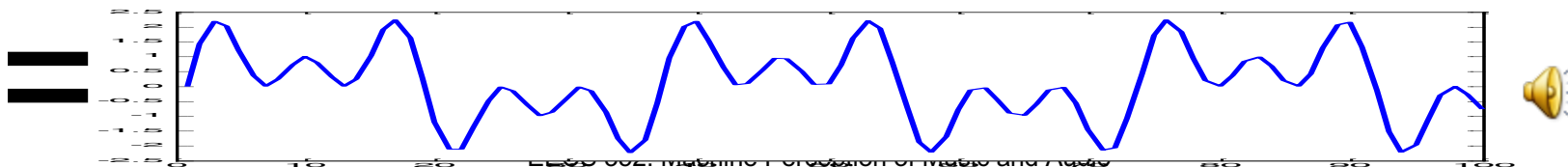
Alternate Representation



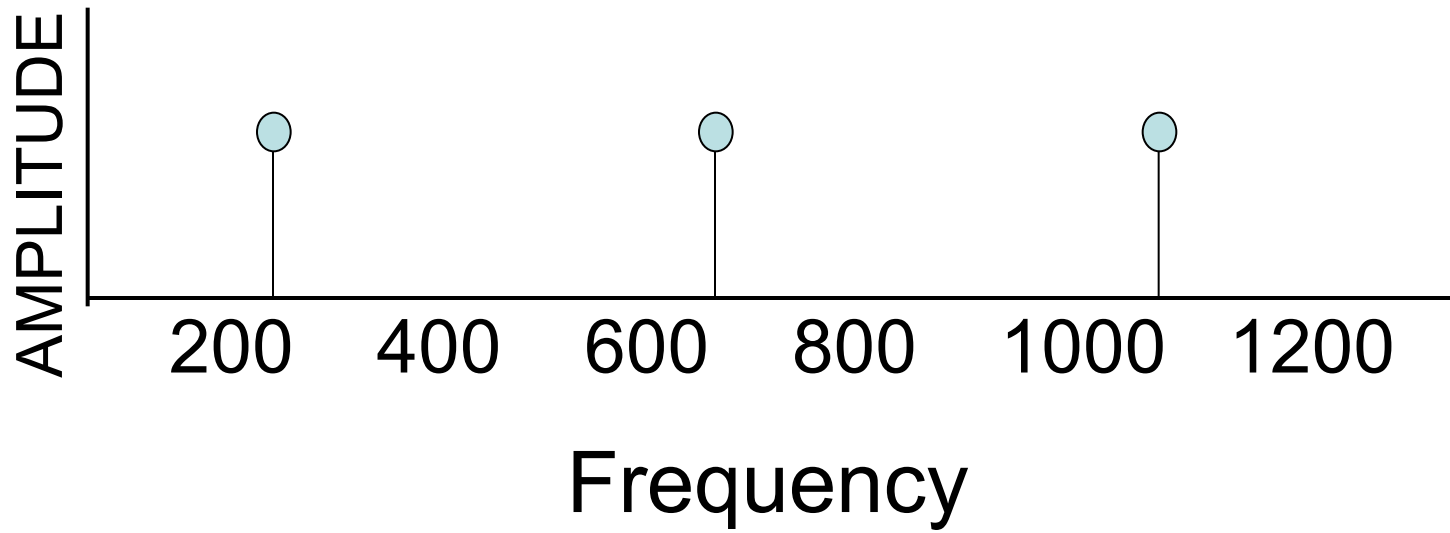
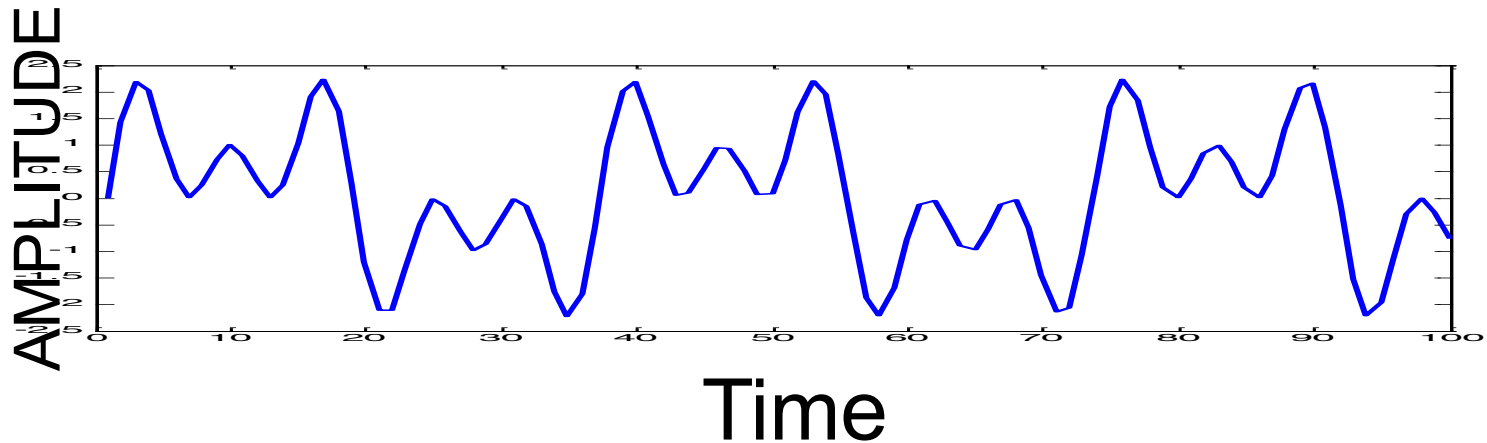
Complex Tone = Sine Waves





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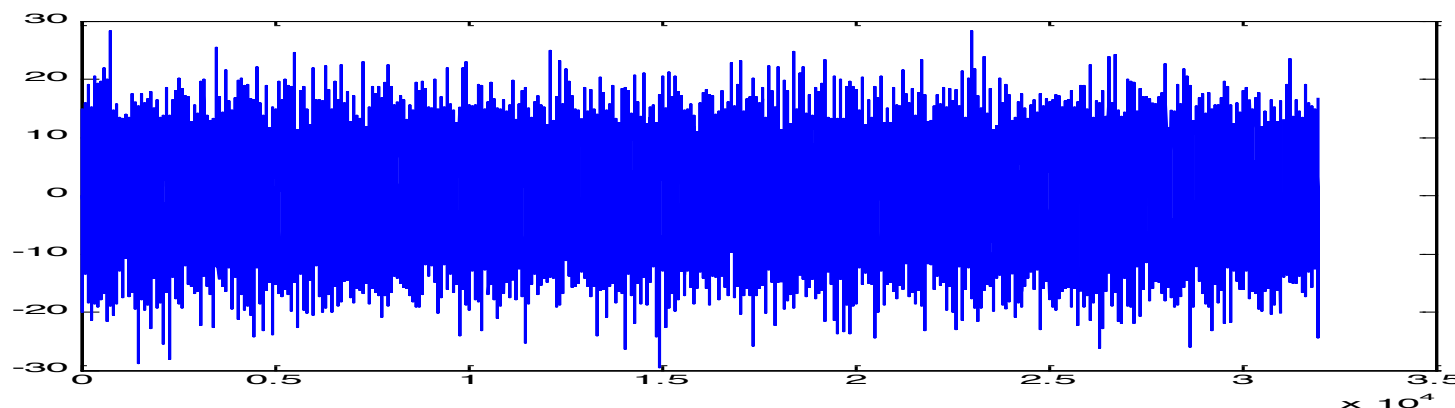
Alternately



Harmonic Sound

- 1 or more sine waves
- Strong *components* at INTEGER MULTIPLES of a *FUNDAMENTAL FREQUENCY* in the range of human hearing (20 Hz to 20,000 Hz)
- *Examples*
 - $220 + 660 + 1100$ is *HARMONIC* 
 - $100 + 220 + 263$ is *NOT HARMONIC* 

Noise



- Lots of sines at random freqs. = NOISE
- Example: 100 sines with random frequencies, such that $100 < f < 10000$

A Fun Example (Thanks to Robert Remez)

